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# Newton's 3<sup>rd</sup> Law and Law of Gravitation

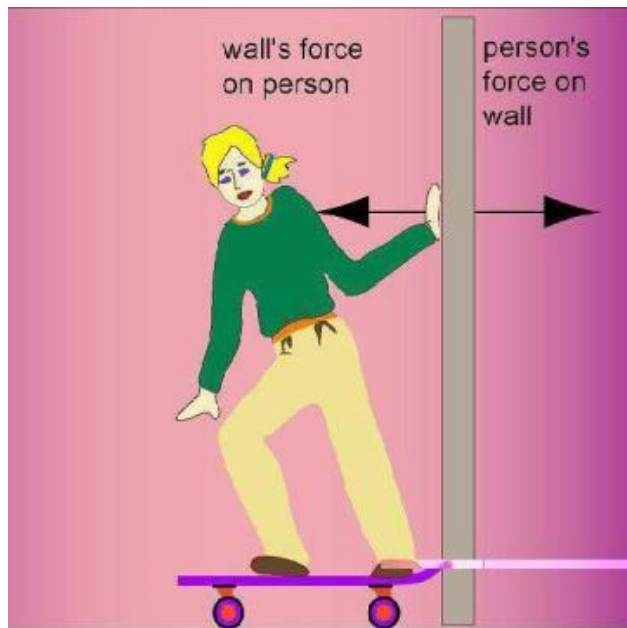
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Washington Physics

# Newton's Third Law

“For every action there is an EQUAL **and** OPPOSITE reaction.

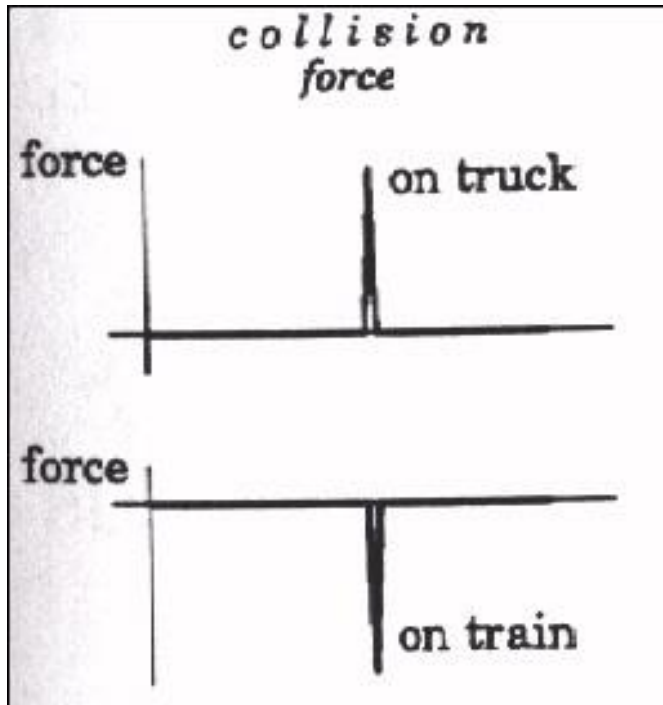
- This law focuses on action/reaction pairs (forces)
- They NEVER cancel out



All you do is SWITCH the wording!

- PERSON on WALL
- WALL on PERSON

# N.T.L



This figure shows the force during a collision between a truck and a train. You can clearly see the forces are EQUAL and OPPOSITE. To help you understand the law better, look at this situation from the point of view of Newton's Second Law.

$$F_{Truck} = F_{Train}$$

$$m_{Truck} A_{Truck} = M_{Train} a_{Train}$$

There is a balance between the mass and acceleration. One object usually has a LARGE MASS and a SMALL ACCELERATION, while the other has a SMALL MASS (comparatively) and a LARGE ACCELERATION.

# N.T.L Examples



Action: HAMMER HITS NAIL

Reaction: **NAIL HITS HAMMER**

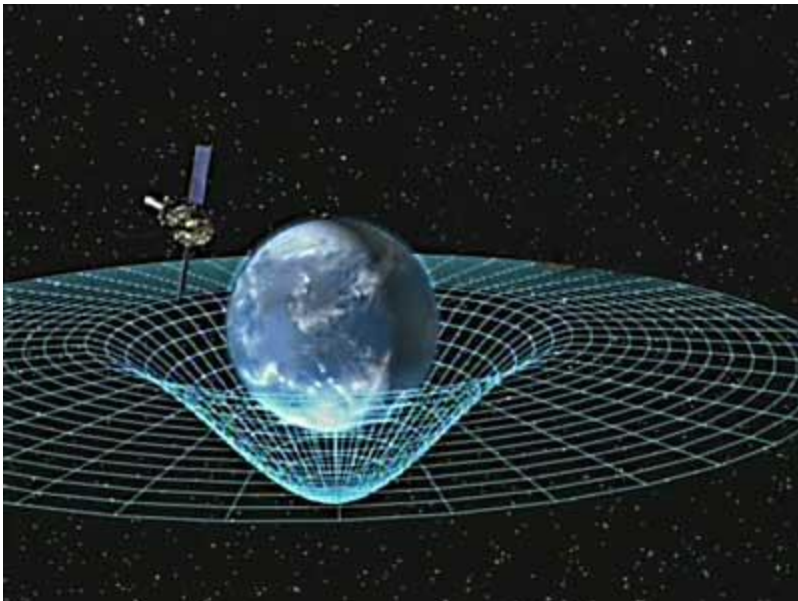


Action: Earth pulls on YOU

Reaction: **YOU pull on the earth**

# Newton's Law of Gravitation

What causes YOU to be pulled down? THE EARTH....or more specifically...the EARTH'S MASS. Anything that has MASS has a gravitational pull towards it.



$$F_g \propto Mm$$

What the proportionality above is saying is that for there to be a FORCE DUE TO GRAVITY on something there must be at least 2 masses involved, where one is larger than the other.

# N.L.o.G.

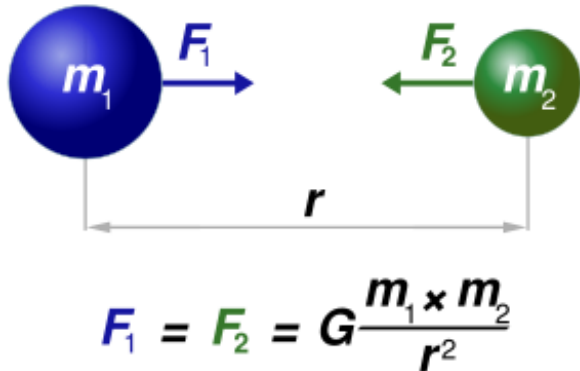


As you move AWAY from the earth, your DISTANCE increases and your FORCE DUE TO GRAVITY decrease. This is a special INVERSE relationship called an Inverse-Square.

$$F_g \propto \frac{1}{r^2}$$

The “r” stands for SEPARATION DISTANCE and is the distance between the CENTERS OF MASS of the 2 objects. We use the symbol “r” as it symbolizes the radius. Gravitation is closely related to circular motion as you will discover later.

# N.L.o.G – Putting it all together



$$F_g \propto \frac{m_1 m_2}{r^2}$$

$G$  = constant of proportionality

$G$  = Universal Gravitational Constant

$$G = 6.67 \times 10^{-11} \text{ Nm}^2 / \text{kg}^2$$

$$F_g = G \frac{m_1 m_2}{r^2}$$

$F_g = mg \rightarrow$  Use this when you are on the earth

$F_g = G \frac{m_1 m_2}{r^2} \rightarrow$  Use this when you are LEAVING the earth

# Try this!

Let's set the 2 equations equal to each other since they BOTH represent your weight or force due to gravity

$$F_g = mg \rightarrow \text{Use this when you are on the earth}$$

$$F_g = G \frac{m_1 m_2}{r^2} \rightarrow \text{Use this when you are LEAVING the earth}$$

$$mg = G \frac{Mm}{r^2}$$

$$g = G \frac{M}{r^2}$$

$$M = \text{Mass of the Earth} = 5.97 \times 10^{24} \text{ kg}$$

$$r = \text{radius of the Earth} = 6.37 \times 10^6 \text{ m}$$

**SOLVE FOR g!**

$$g = \frac{(6.67 \times 10^{-11})(5.97 \times 10^{24})}{(6.37 \times 10^6)^2} = 9.81 \text{ m/s}^2$$